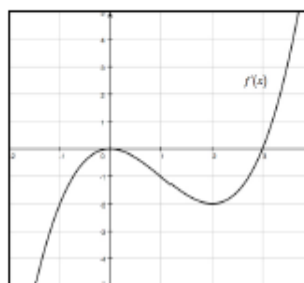
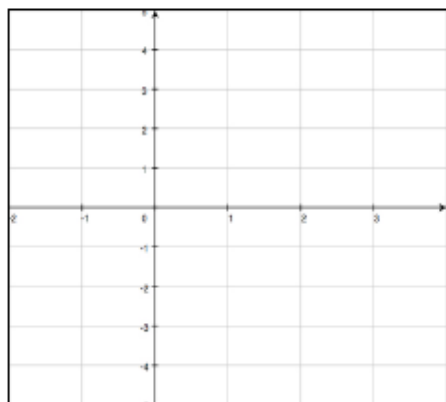


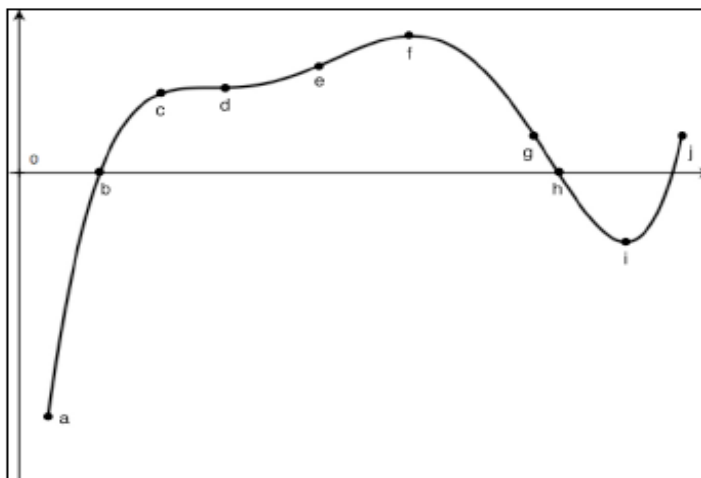
5.1 -5.3

- Find intervals of increase, decrease, and concavity. Identify locations of critical points, stationary points, inflection points, relative maximums and relative minimums for $y = x^3 - 3x + 1$. Make sign charts and include all information on your chart. Sketch the graph.
- Find the extrema for $f(x) = 2x^3 - 3x^2 - 12x + 8$ over $[-2, 2]$ and then $(-\infty, +\infty)$.
- Find the extrema for $f(x) = \frac{1}{x - x^2}$ over $(0, 1)$

- To the right is a graph of $f'(x)$. Determine what a graph of $f(x)$ might look like. Create sign charts to show your logic. (6 pts)



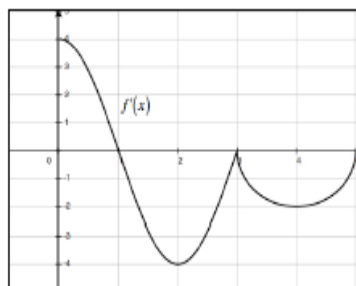
5. To the right is a graph of $f(x)$ shown on an interval. The graph of f has horizontal tangents at d , f , and i . In the chart, place either a positive sign (+), negative sign (-) or zero (0) at the points $a - j$ for $f(x)$, $f'(x)$ and $f''(x)$. If there is a relative minimum, relative maximum, absolute minimum, absolute maximum or possible inflection point on the interval at these points, put an x in the appropriate column. (13 pts)



Pt	$f(x)$	$f'(x)$	$f''(x)$	Inflection pt.	Relative minimum	Relative maximum	Absolute Minimum	Absolute Maximum
a								
b								
c								
d								
e								
f								
g								
h								
i								
j								
k								

6. The figure to the right shows the graph of f' , the derivative of the function f , for $-0 \leq x \leq 5$. (8 pts)

- a) Find all values of x , for $0 < x < 5$, at which f attains a relative maximum and relative minimum. Justify your answer.



- b) Find all values of x , for $0 < x < 5$, at which f has an inflection point. Justify your answer.

5.1 -5.3

7. For the given function $f(x) = 6x^2 - x^3 - 1$, find the x -values where $f(x)$ attains a relative minimum, relative maximum, and inflection points, if any. Justify answers.

8. For the given function $f(x) = \frac{x^2 + 1}{x^2 - 16}$, find the intervals where the function is increasing and decreasing. Justify your answer.

5.1 -5.3

9. Use the function $y = e^x \cdot x^{2/3}$ for this problem.
- Analyze the end behavior of the graph using limits.
 - Find the x -intercepts
 - Find the y -intercepts.
 - Find the first derivative and complete the sign chart identifying intervals of increase and decrease, critical points, stationary points, and locations of relative extrema.
 - The second derivative is $y'' = \frac{e^x(9x^2+12x-2)}{9x^{4/3}}$. Complete the sign chart identifying intervals of concavity and locations of inflection points.
 - Sketch the graph of $y = e^x \cdot x^{2/3}$.

