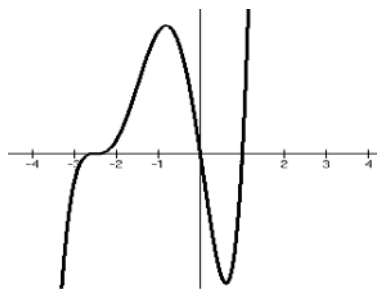
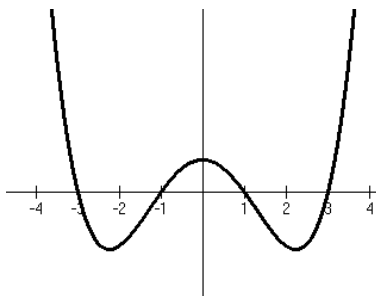
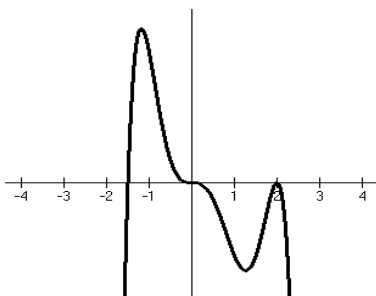


Pre-Calculus Worksheet

Name: _____

Section 2.2 - Polynomial Functions DAY ONE

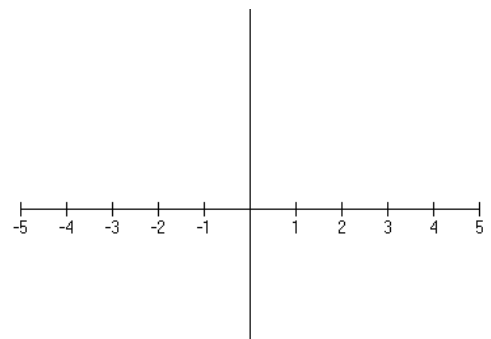
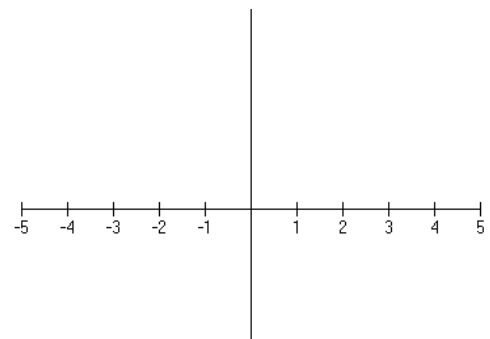
I. Find the requested information for each graph.

| | | |
|--|---|--|
| <p>1.</p>  <p>End Behavior: _____ Even or Odd Degree? _____ + or - Leading Coeff.: _____ # of relative extrema: _____ Zeros and their Multiplicity: _____</p> <p>Possible Function (factored form): _____</p> | <p>2.</p>  <p>End Behavior: _____ Even or Odd Degree? _____ + or - Leading Coeff.: _____ # of relative extrema: _____ Zeros and their Multiplicity: _____</p> <p>Possible Function (factored form): _____</p> | <p>3.</p>  <p>End Behavior: _____ Even or Odd Degree? _____ + or - Leading Coeff.: _____ # of relative extrema: _____ Zeros and their Multiplicity: _____</p> <p>Possible Function (factored form): _____</p> |
|--|---|--|

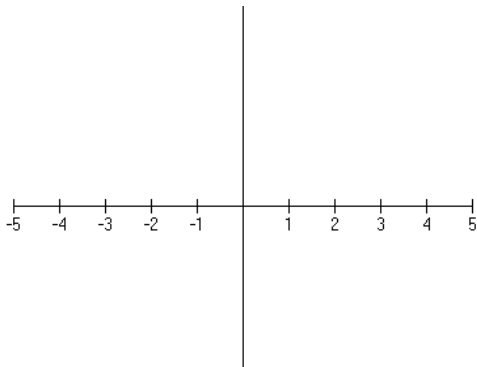
II. Determine the MAXIMUM possible number of relative extrema for each polynomial function. State the end behavior of the curve as well.

| | | |
|--|--|---|
| <p>4. $y = \frac{1}{3}x^5 - 2x^4 + \dots + x - 6$</p> | <p>5. $y = -5x^4 + 3x^3 + \dots - 2x + 4$</p> | <p>6. $y = -2x^{11} + x^{10} + \dots + 5x - 1$</p> |
|--|--|---|

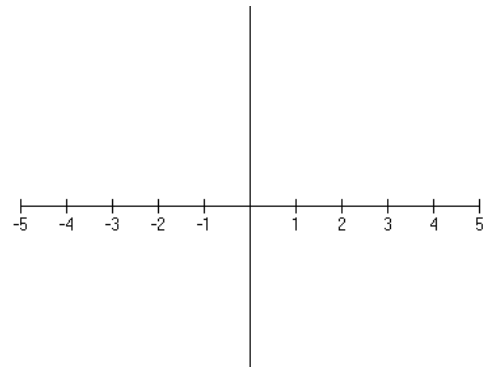
III. Factor each polynomial. Then identify its roots (and their multiplicity) along with its end behavior if order to sketch a graph of the function WITHOUT the calculator.

| | |
|---|---|
| <p>7. $f(x) = -x^3 + 9x$</p>  | <p>8. $g(x) = 4x^2 - x^4$</p>  |
|---|---|

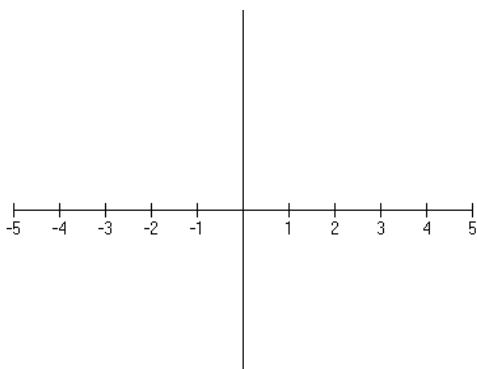
9. $f(x) = 3x^3 - 15x^2 + 18x$



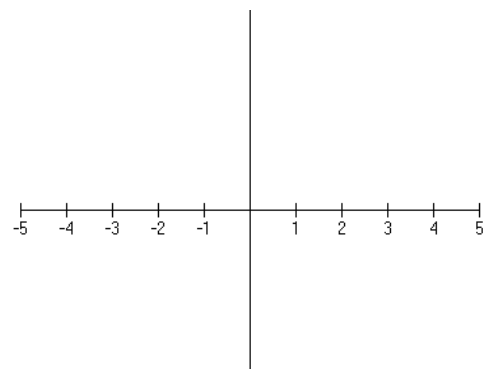
10. $f(x) = -5x^4 - x^5$



11. $g(x) = x^4 - 10x^2 + 9$



12. $f(x) = -4x^4 - 6x^3 + 40x^2$

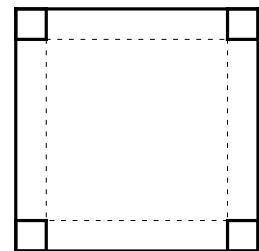


IV. Numerical and Graphical Analysis... Use your brain!

13. An open box is to be made from a square piece of material, 36 inches on a side, by cutting equal squares with sides of length x from the corners and turning up the sides (see figure).

(a) Verify that the volume of the box is given by the function $V(x) = x(36 - 2x)^2$.

Show your work. Mark the diagram as well.



(b) Determine the domain of the function (within the constraints of the problem).

(c) Use a graphing utility to graph V and use the graph to estimate the value of x for which $V(x)$ is maximum.

What are the resulting dimensions of the box and what is the maximum volume? **HINT: 2nd TRACE 5**

